Jetic Gū

- 1. Handwritten submissions and proprietary formats (e.g. Pages or MS Word) will not be graded.
- 2. Late submission and resubmission policies are stated on the course webpage.
- 3. Mathematical expressions must be written <u>entirely</u> using LaTeX, otherwise **50%-100%** of marks will be deducted.
- 4. Circuits must be **tested** using switches/probs against a truth table. Untested circuits will receive 0. Submission File structure:

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The circuit files are 2.5pt each, the PDF is worth 10pt.

## Lab 1

- 1. Work on the following boolean equations (2pt).
  - A. Use a truth table to prove:  $\overline{X+Y+Z} = \overline{X}\,\overline{Y}\,\overline{Z}$
  - B. Use DeMorgan's Theorem, express the following with only OR and complement (NOT):  $\overline{B}C + \overline{A}\overline{C}$
- 2. Use algebraic manipulation to prove (4pt).

A. 
$$\overline{X}\overline{Y} + \overline{X}Y + XY = \overline{X} + Y$$

B. 
$$Y + \overline{X}Z + X\overline{Y} = X + Y + Z$$

C. 
$$WY + \overline{W}Y\overline{Z} + WXZ + \overline{W}X\overline{Y} = WY + \overline{W}X\overline{Z} + \overline{X}Y\overline{Z} + X\overline{Y}Z$$

D. 
$$A\overline{D} + \overline{A}B + \overline{C}D + \overline{B}C = (\overline{A} + \overline{B} + \overline{C} + \overline{D})(A + B + C + D)$$

3. Optimise the following boolean functions using K-maps (2pt).

A. 
$$F(A, B, C, D) = \sum m(0,2,4,5,8,10,11,15)$$

B. 
$$F(A_3, A_2, A_1, A_0) = \sum m(0,1,2,4,5,6,10,11)$$

4. The denotation of don't care condition is  $d(\ldots) = \Sigma m(\ldots)$  complimenting the boolean function F. Optimise the following Boolean function F together with the don't care condition f (2pt).

A. 
$$F(A, B, C) = \sum m(2,4,7), d(A, B, C) = \sum m(0,1,5,6)$$

B. 
$$F(A_3, A_2, A_1, A_0) = \sum m(4,6,7,8,12,15), d(A_3, A_2, A_1, A_0) = \sum m(2,3,5,10,11,14)$$

5. Implement the following boolean expression in LogicWorks, save it as c5.cct (2.5pt).

$$F(A, B, C) = AB + A\overline{C} + B\overline{C}$$

6. Implement the following boolean expressions as a single circuit in LogicWorks, save it as c6.cct (2.5pt).

$$S(X, Y, Z) = X \oplus Y \oplus Z$$
  

$$C(X, Y, Z) = XY + (X \oplus Y)Z$$